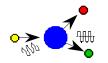


Low-Energy (n,γ) Cross Sections Using the Surrogate Technique

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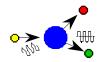
Surrogate technique may be useful for determining important (n,γ) cross sections on unstable nuclei



- (n,γ) reactions are needed for
 - _ Astrophysical s- and r-processes
 - Maxwellian averages at ~8 and 30 keV
 - _ Stockpile stewardship
 - Energy range up to ~100 keV particularly important
- Recent experiment of Bernstein et al. suggests surrogate technique is promising for measuring (n,γ)
 - Formed ¹⁵⁶Gd compound nucleus in ¹⁵⁷Gd(3 He, α)
 - Measured lowest 2+-0+ transition in ¹⁵⁶Gd as collector of gamma cascades in coincidence with the alpha particle
 - Combining these results with Hoffman's Hauser-Feshbach calculations yield good results with direct experiment for 155 Gd(n,γ)

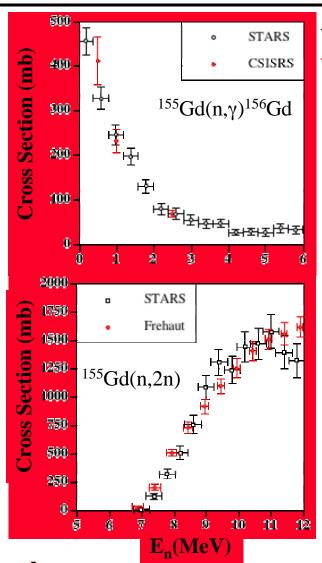
Bernstein et al. results went down to ~1 MeV neutron energy

Can the technique be extended to lower energies?

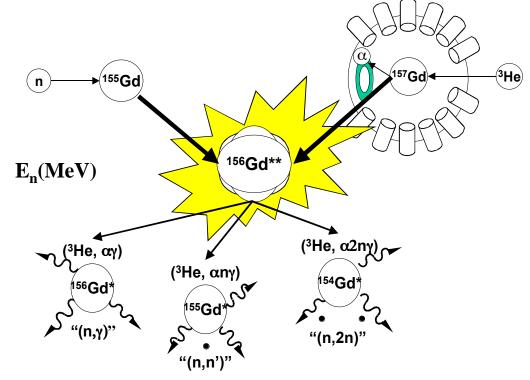


Testing the Surrogate technique





- ← Surrogate measurement using ¹⁵⁷Gd(³He,α)
- ← Direct measurement



Bernstein et al., analysis in progress

Experiment carried out in Berkeley



The problem, and a suggestion for its solution



In the surrogate technique a compound nucleus must be formed just above the neutron separation energy by an alternative reaction (e.g. (p,p'))

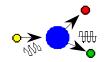
Energy of the outgoing charged particle tags the energy of the compound nucleus, but is uncertain by ~25-100 keV

This yields a corresponding uncertainty in the simulated neutron energy, which is comparable to the desired entire neutron energy range

SUGGESTION:

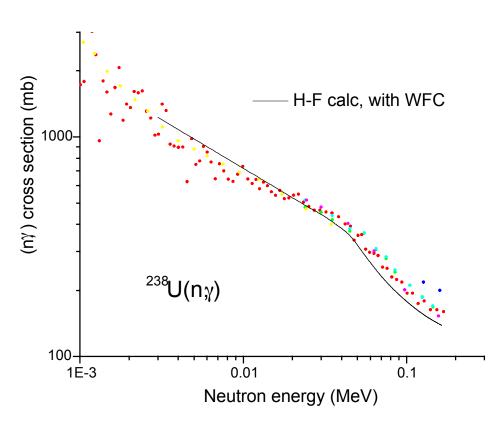
- Measure at somewhat higher equivalent neutron energies (100-200 keV) with well characterized detector resolution
- Assume nuclear models calculate shape adequately, use measurement to normalize the overall scale

How well should this work? We are starting with some tests of (n, γ) calculations on nonfissile actinides



(n,γ) shape determined mainly by s-, p- wave transmission coefficients and inelastic thresholds





At 10keV, $T_1/T_0 \sim 1/20$

BUT contributions to capture are equal!

Can see this from

$$\sigma_l \sim \frac{T_l T^{\gamma}}{T_l + T^{\gamma}}$$

Conclusion: optical model has to get both T₀ and T₁ right at low energies

S-wave strength functions determined from resonance studies are equivalent to T_0 at low energies



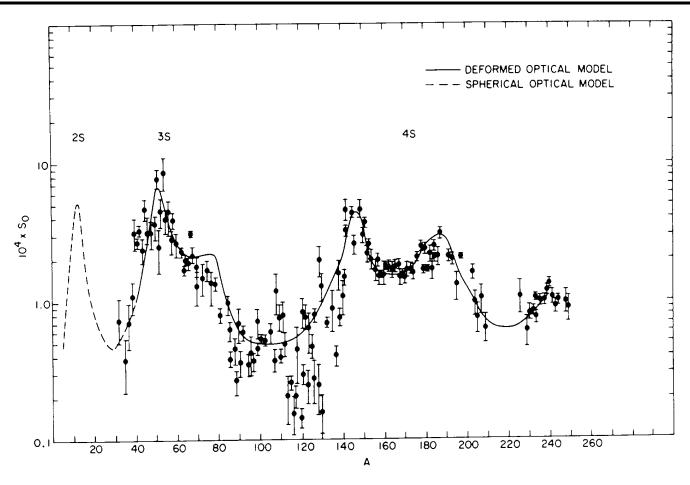
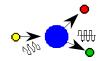


Figure 3. Comparison of experimental and theoretical values of the s-wave neutron strength function.

The solid and dashed curves represent deformed and spherical optical model calculations respectively. See the caption of Figure 1 for the optical model parameters.



P-wave strength function, equivalent to T₁ at low energy, is "out of phase" with S-wave



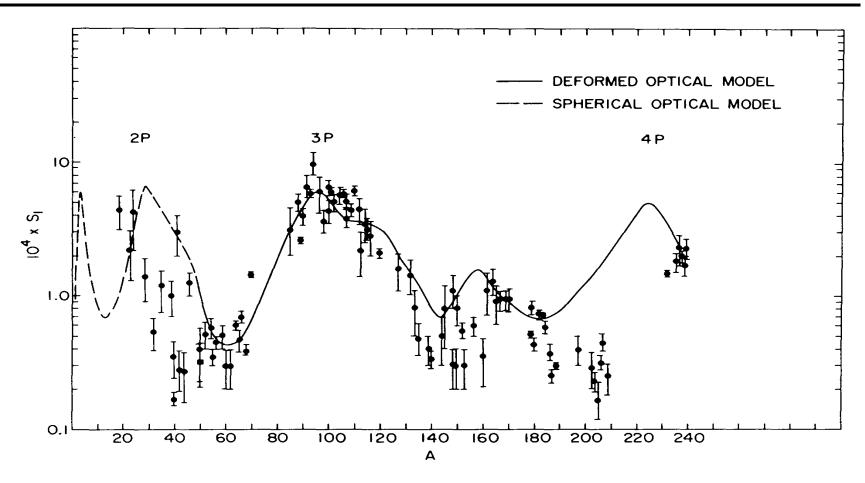
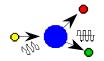


Figure 4. Comparison of experimental and theoretical values of the p-wave neutron strength function. The solid and dased curves represent deformed and spherical optical model calculations respectively. The small peak at A=160 is due to the rotational splitting of the 4p-giant resonance as prdicted by Buck and Perey 47 . For details, see the text.

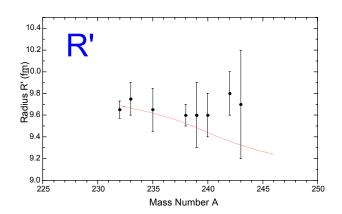


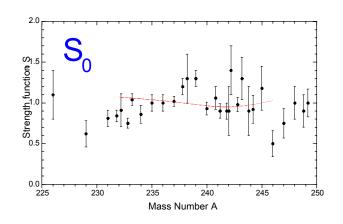
Optical model for actinide study was carefully fit to regional strength function information

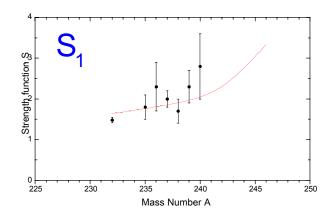


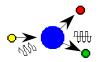
Coupled-channel calculation

Low-energy parameters help fix strength and geometry of potential at low energies



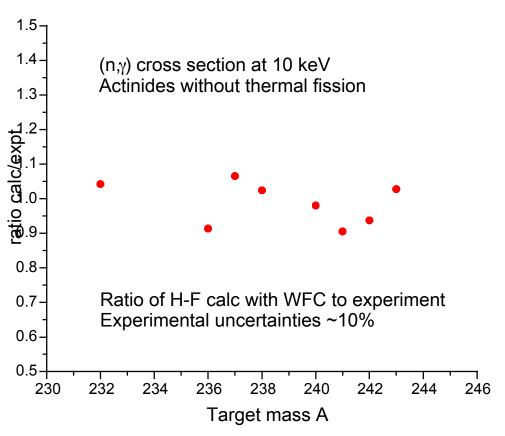






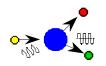
Regional potential yields consistent results for known stable, nonfissile actinide targets





We are currently extending these results to fissile nuclei

These use Walid Younes's calculated fission probabilities for ²³⁵U, ²⁴¹Pu



Conclusions



Normalizing a 10-100 keV (n,γ) calculation with a surrogate reaction at higher energies requires a good regional optical model giving reliable T_0 and T_1

Strength-function data available only for stable nuclei, so technique can't be extrapolated reliably very far from valley of stability

Angular-momentum mismatch is most severe for (n,γ) . Therefore, alter J Π distribution in the surrogate reaction by

- Changing the surrogate reaction, e.g. (p,p') vs. (3 He, α)
- Use wide range of angles for outgoing particle, since ΔJ ~ qR

